## Year 11H Scheme of Work

| Unit | Key Objectives |
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| Probability | Use the product rule for counting; <br> Estimate the number of times an event will occur, given the probability and the number of trials; <br> Compare experimental data and theoretical probabilities; <br> Compare relative frequencies from samples of different sizes. <br> Find the probability of successive events, such as several throws of a single dice; <br> Draw a probability tree diagram based on given information, and use this to find probability and expected <br> number of outcome; <br> Understand selection with or without replacement; <br> Calculate the probability of independent and dependent combined events; <br> Understand conditional probabilities and decide if two events are independent; <br> Use a two-way table to calculate conditional probability; <br> Use a tree diagram to calculate conditional probability; <br> Use a Venn diagram to calculate conditional probability; |
| Further Trigonometry | Know and apply Area $=1 / 2$ ab sin $C$ to calculate the area, sides or angles of any triangle <br> Find the arc length and area of a sector <br> Find the area of a segment <br> Know the sine and cosine rules, and use to solve 2 D problems, including involving bearings <br> Use the sine and cosine rules to solve 3 D problems |
| Ratio | Combine ratios <br> Write ratio as a linear function <br> Express a multiplicative relationship between two quantities as a ratio or a fraction, e.g. when A:B are in the <br> ratio $3: 5$, A is $\frac{3}{5} B$. When $4 a=7 b$, then a $=\frac{7 b}{4}$ or a:b is $7: 4$ <br> Solve ratio problems when ratios are changed by adding or removing items <br> Solve two stage ratio problems (e.g. parts of parts) |


| Histograms | Know the appropriate uses of histograms <br> Construct and interpret histograms from class intervals with unequal width <br> Use and understand frequency density <br> From histograms <br> complete a grouped frequency table <br> understand and define frequency density <br> Estimate the mean from a histogram <br> Estimate the median from a histogram with unequal class widths or any other information from a histogram, <br> such as the number of people in a given interval |
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| Cumulative Frequency and Box Plots | Know the appropriate uses of cumulative frequency diagrams; <br> Construct and interpret cumulative frequency tables; <br> Construct and interpret cumulative frequency graphs/diagrams and from the graph: <br> estimate frequency greater/less than a given value; <br> find the median and quartile values and interquartile range; <br> Compare the mean and range of two distributions, or median and interquartile range, as appropriate; <br> Interpret box plots to find median, quartiles, range and interquartile range and draw conclusions; <br> Produce box plots from raw data and when given quartiles, median and identify any outliers; |
| Circle Theorems 2 | Use the facts that <br> the fact that the angle between a tangent and radius is 90 <br> the tangent at any point on a circle is perpendicular to the radius at that point <br> alternate segment theorem <br> the perpendicular from the centre of a circle to a chord bisects the chord <br> Prove the circle theorems (not the tangent properties) |


| Exploring Graphs | Recognise a linear, quadratic, cubic, reciprocal and exponential graph from its shape <br> Draw graphs of simple cubic functions using tables of values <br> Interpret graphs of simple cubic functions, including finding solutions to cubic equations <br> Draw graphs of the reciprocal function with $x \neq 0$ using tables of values <br> State the value of $x$ for which the equation is not defined <br> Recognise, sketch and interpret graphs of exponential functions $y=k x$ where $k>0$ and integer values of $x$ <br> Recognise, sketch and interpret graphs of the trigonometric functions (in degrees) $y=\sin x, y=\cos x$ and $y=\tan$ <br> $x$ for angles of any size <br> Know the exact values of sin $\theta$ and cos $\theta$ for $\theta=0^{\circ}, 30^{\circ}, 45^{\circ}, 60^{\circ}$ and $90^{\circ}$ and exact value of tan $\theta$ for $\theta=0^{\circ}, 30^{\circ}$, <br> $45^{\circ}$ and $60^{\circ}$ and find them from graphs <br> Use trigonometric graphs to find solutions to simple equations <br> Interpret and analyse transformations of graphs of functions and write the functions algebraically, e.g. write the <br> equation of $f(x)+a$, or $f(x-a)$ <br> apply the transformations $y=-f(x), y=f(-x)$ for linear, quadratic, cubic and trigonometric functions <br> apply the transformations $y=f(x)+a, y=f(x+a)$ for linear, quadratic, cubic and trigonometric functions |
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| Circle Geometry | Recognise and construct the graph of a circle using $x^{2}+y^{2}=r^{2}$ for radius $r$ centred at the origin of coordinates <br> Draw circles, centre the origin, equation $x^{2}+y^{2}=r^{2}$ <br> Find the equation of a tangent to a circle at a given point, by <br> finding the gradient of the radius that meets the circle at that point (circles all centre the origin) <br> finding the gradient of the tangent perpendicular to it using the given point <br> Find the point of intersection of a line and a circle <br> Select and apply construction techniques and understanding of loci to draw graphs based on circles and <br> perpendiculars of lines |
| Vectors and Geometric Proof | Understand that $2 a$ is parallel to a and twice its length, and that a is parallel to -a in the opposite direction <br> Represent vectors, combinations of vectors and scalar multiples in the plane pictorially <br> Find the length of a vector using Pythagoras' Theorem <br> Calculate the resultant of two vectors <br> Solve geometric problems in $2 D$ where vectors are divided in a given ratio <br> Produce geometrical proofs to prove points are collinear and vectors/lines are parallel |

$\left.\left.\begin{array}{|l|l|}\hline \text { Iteration } & \begin{array}{l}\text { Use iteration to find approximate solutions to equations, for simple equations in the first instance, then } \\ \text { quadratic and cubic equations } \\ \text { Know and use the fact that a sign change shows a solution } \\ \text { Use an iterative process to solve problem in context } \\ \text { Use iteration with simple converging sequences }\end{array} \\ \hline \text { Real Life Graphs } & \begin{array}{l}\text { Use graphs to calculate various measures (of individual sections), including unit price (gradient), average speed, } \\ \text { distance, time, acceleration } \\ \text { Estimate area under a quadratic or other graph by dividing it into trapezia, rectangles or triangles } \\ \text { Interpret the gradient of linear or non-linear graphs, and estimate the gradient of a quadratic or non-linear } \\ \text { graph at a given point by sketching the tangent and finding its gradient } \\ \text { Interpret the gradient of non-linear graph in curved distance-time and velocity-time graphs } \\ \text { For a non-linear distance-time graph, estimate the speed at one point in time, from the tangent, and the } \\ \text { average speed over several seconds by finding the gradient of the chord } \\ \text { For a non-linear velocity-time graph, estimate the acceleration at one point in time, from the tangent, and the } \\ \text { average acceleration over several seconds by finding the gradient of the chord } \\ \text { Interpret the gradient of a linear or non-linear graph in financial contexts } \\ \text { Interpret the area under a linear or non-linear graph in real-life contexts }\end{array} \\ \text { Interpret the rate of change of graphs of containers filling and emptying }\end{array}\right\} \begin{array}{l}\text { Interpret the rate of change of unit price in price graphs }\end{array}\right\}$

| Algebraic Proof | Use general forms for consecutive integers ( $n, n+1$ ) <br> Use general forms for even (2n) and odd $(2 n+1)$ numbers <br> Use general forms for multiple of a number (3n, 4n, 5n etc) <br> Solve 'Show that' and proof questions using consecutive integers, squares, even numbers and odd numbers <br> Use different general forms, where needed, to represent different numbers (2m and 2n) |
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| Congruence | Understand and use SSS, SAS, ASA and RHS conditions to prove the congruence of triangles using formal <br> arguments, and to verify standard ruler and pair of compasses constructions <br> Solve angle problems by first proving congruence |
| Constructions and Loci | Use the standard ruler and compass constructions <br> understand, from the experience of constructing them, that triangles satisfying SSS, SAS, ASA and RHS are <br> unique, but SSA triangles are not <br> construct the perpendicular bisector of a given line <br> construct the perpendicular from a point to a line <br> construct the bisector of a given angle <br> construct angles of 90', 45' <br> Construct <br> a region bounded by a circle and an intersecting line <br> a given distance from a point and a given distance from a line <br> equal distances from two points or two line segments <br> regions which may be defined by 'nearer to' or 'greater than' <br> Find and describe regions satisfying a combination of loci, including in 3D <br> Use constructions to solve loci problems including with bearings <br> Know that the perpendicular distance from a point to a line is the shortest distance to the line |

